Sequence alignments and scoring matrices

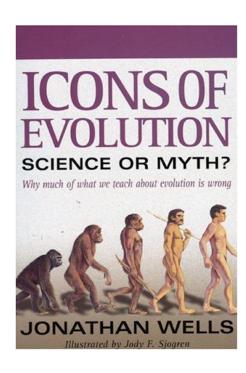
Arne Elofsson

To read: http://perso.fundp.ac.be/~lambertc/DEA-bioinfo/CLambert curr gen 2003.pdf

To read: Wikipidea about Sequence Alignment

Why alignments?

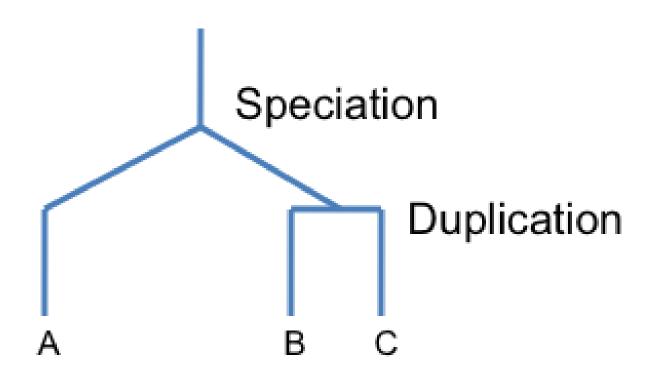
- Detect homology
- Study evolution
- Predict functions
- Model 3D-structure



Sequence similarity

- Homologs have a common ancestor
- Gene duplication or speciation
- High sequence similarity indicates homology
- Homologs have similar 3D-structure

Homology



Convergent evolution

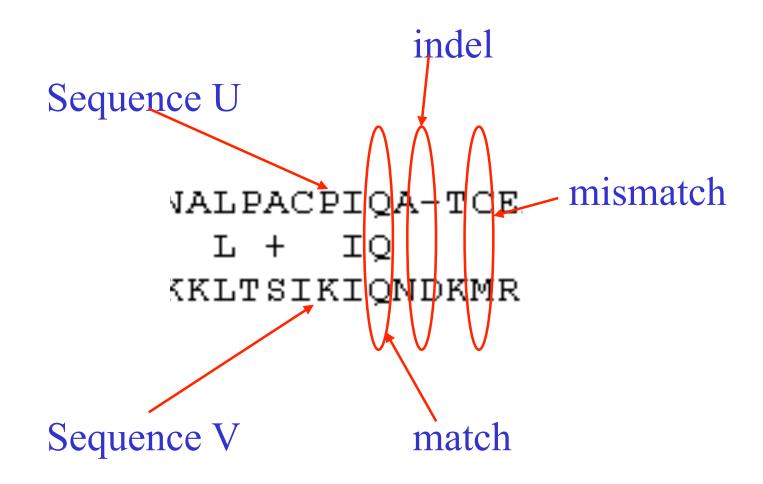




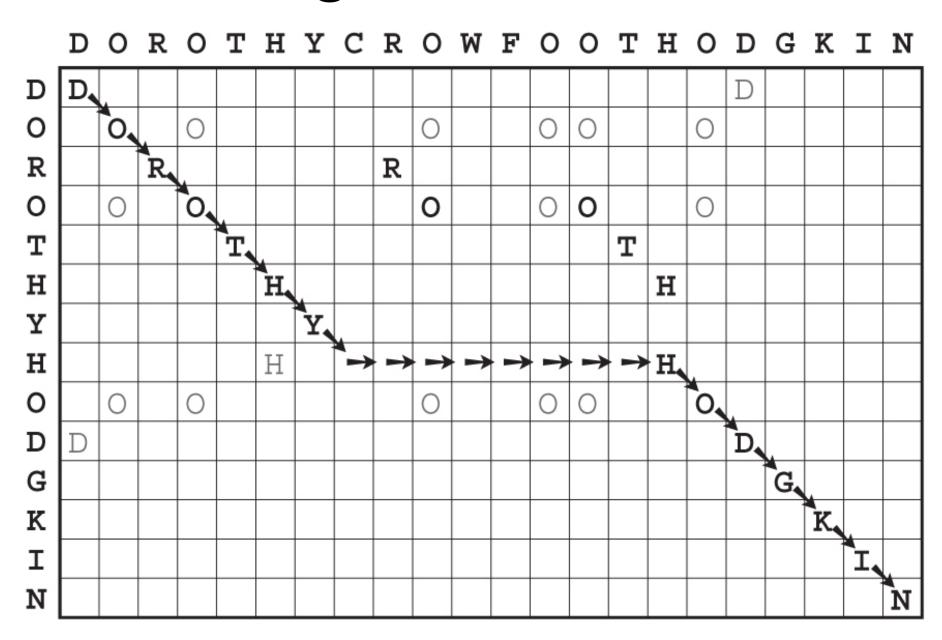
What is an alignment

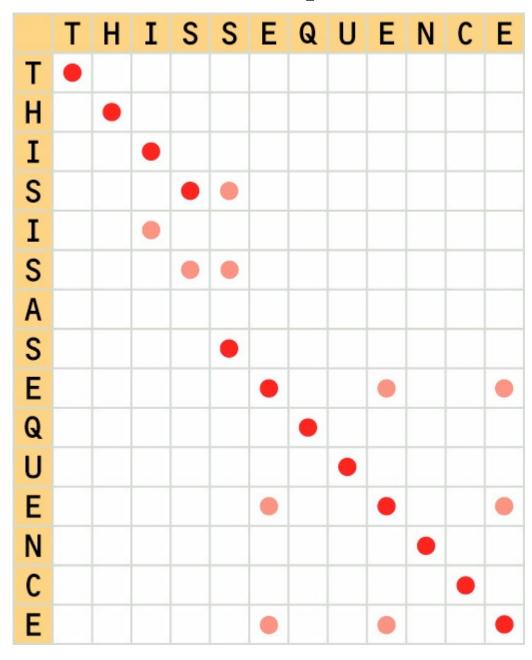
```
THISSEQUENCE
  10/12 Identical
THATSEQUENCE
THATSEQUENCE
| | | | | 4/12  Identical
THISISASEQUENCE
THISISA-SEQUENCE
     | |||||| 11/12 Identical
TH----ATSEQUENCE
```

What can an alignment say?

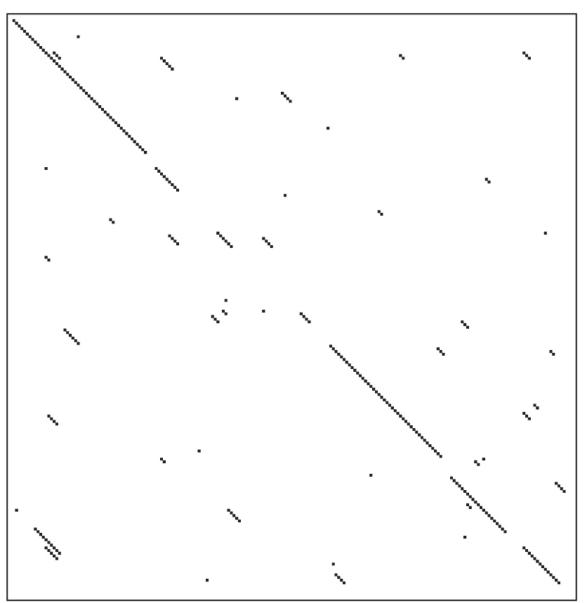


An alignment matrix

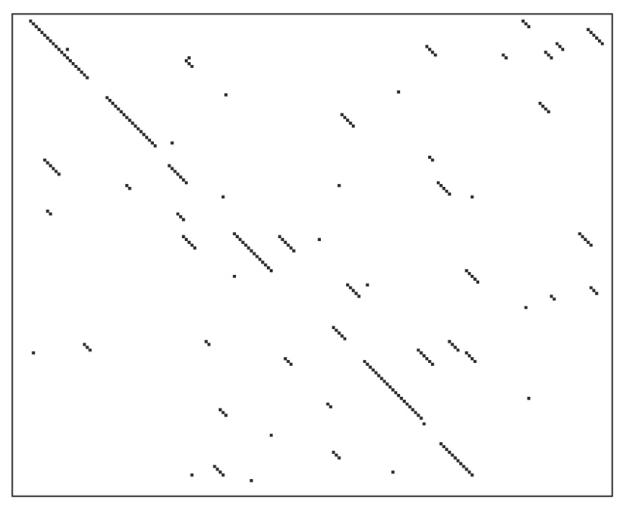




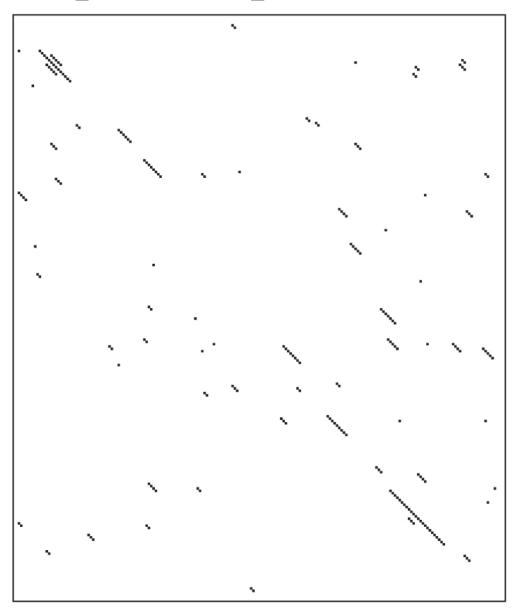
PAPA_CARPA / ACTN_ACTCH



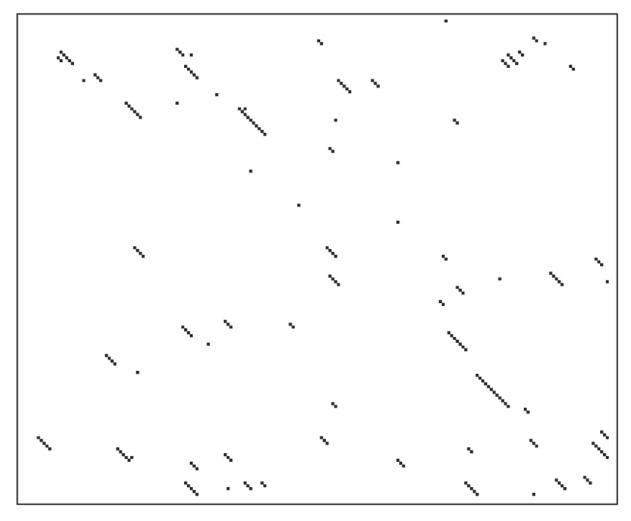
PAPA_CARPA / CATL_HUMAN

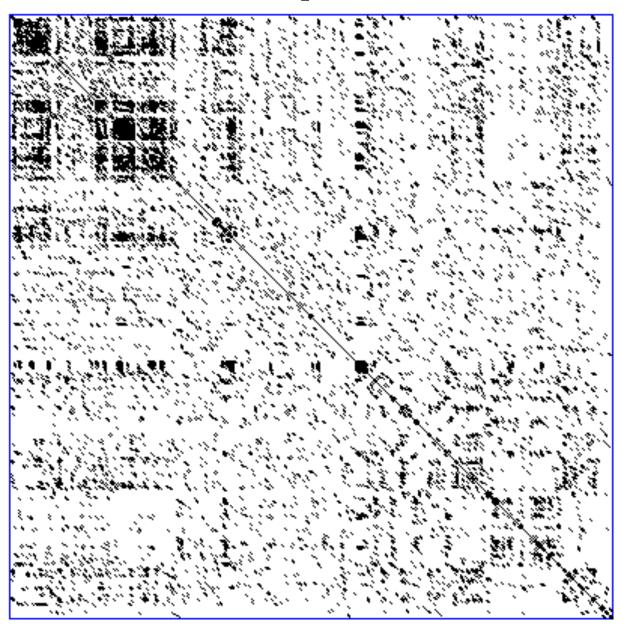


PAPA_CARPA / CATB_HUMAN



PAPA_CARPA / STPA_STAAU



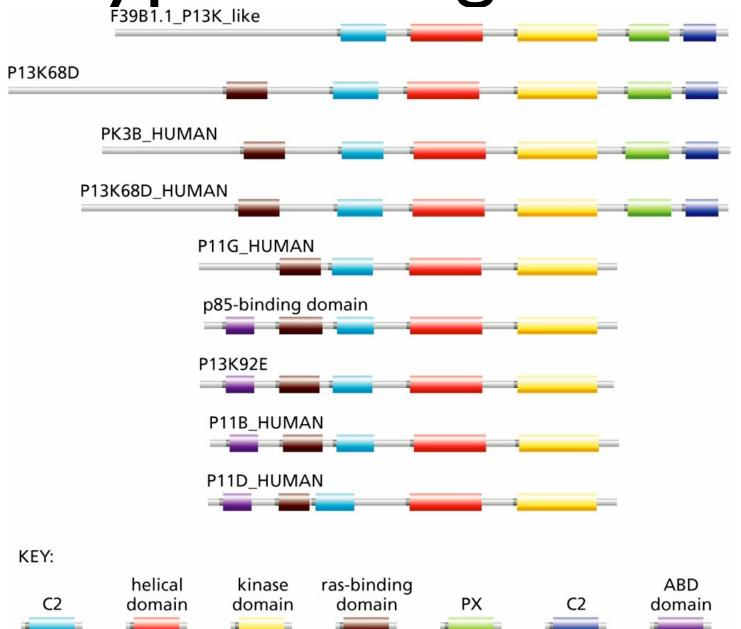


```
(A) local
PI3-kinase DRHNSNIMVKDDGQLFHIDFG
CAMP PK DLKPENLLIDQQGYIQVTDFG
(B) global
PI3-kinase HQLGNLR--LEECRI---MSSAKRPLWLNWENPDIMSELLFQNNEIIFKNGDDLRQDMLT
CAMP PK GNAAAAKKGXEQESVKEFLAKAKEDFLKKWENPAQNTAHLDQFERIKTLGTGSFGRVML-
                                                      100
                                                                 110
PI3-kinase LQIIRIME--NIWQNQGLDLRMLPYGCLSIGDCVGLIEVVRNSHTIMQ-IQCKGGLKGAL
CAMP PK ---VKHMETGNHYAMKILDKQKVVK-----LKQIEHTLNEKRILQAVNFPFLVKLEF
                120
                          130
PI3-kinase QFNSHT-LHQWLKDKNKGEIYDAA--IDLFTRSCAGYCVATFILGIGDRHNSNIMVKD-D
CAMPPK SFKDNSNLYMVMEYVPGGEMFSHLRRIGRFSEPHARFYAAQIVLTFEYLHSLDLIYRDLK
        110
PI3-kinase GQLFHIDFGHFLDHKKKKFGYKRERVP----FVLTQDFL---IVISKGAQECTKTREFE
CAMP PK PENLLIDQQGYI--QVTDFGFAK-RVKGRTWXLCGTPEYLAPEIILSKGYNKAVDWWALG
        170
                    230
                              240
                                        250
PI3-kinase RF-QEMC--YKAYLAIRQHANLFINLFSMMLGSGMPELQSFDDIAYIRKTLALDKTEQEA
CAMP PK VLIYEMAAGYPPFFA-DQPIQIYEKIVSGKVR--FPSHFSSDLKDLLRNLLQVDLTKR--
           230
                     240
                                             260
                                                                 280
PI3-kinase LEYFMKQMNDAHHGGWTTKMDWI------FHTIKQHALN----
```

290

Global FTFTALILLAVAV F--TAL-LLA-AV

Local FTFTALILL-AVAV
--FTAL-LLAAV--



Inserting gaps

What is an optimal alignment?

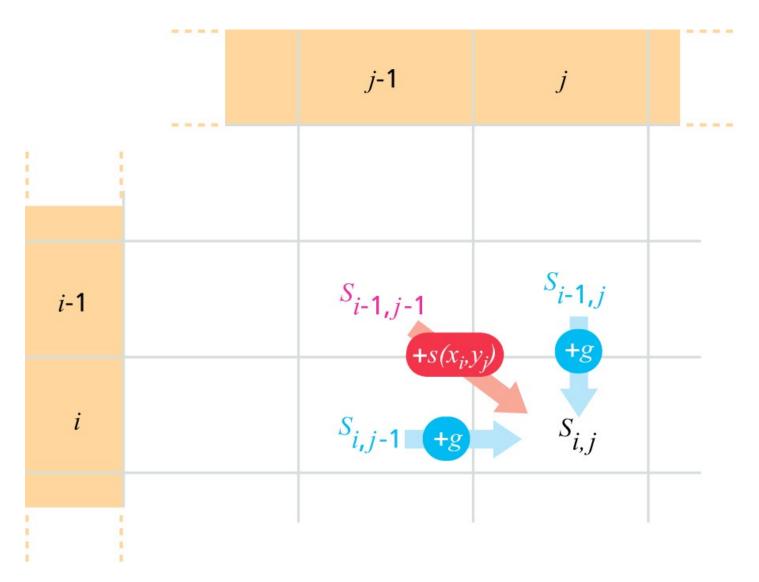
```
THISSEQUENCE
T H A T S E Q U E N C E
T H A T S E O U E N C E
THISISASEQUENCE
THISISA-SEQUENCE
TH----ATSEQUENCE
```

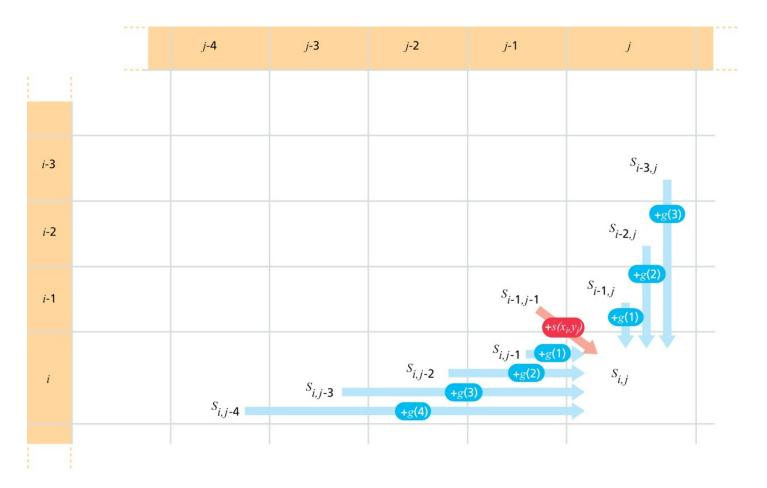
Different scoring

```
THISSEQUENCE
5 8-1 1 4 5 6 0 5 6 9 5 Score = 52
THATSEOUENCE
THATSEQUENCE
5 \ 8-1-1-2 \ 0-1 \ 0 \ 5 \ 0 \ 0 \ 5 Score = 18
THISISASEOUENCE
THISISA-SEQUENCE
5 8 0 0 0 0 4 0 4 5 6 0 5 6 9 5 Score = 56
TH----ATSEOUENCE
```

With Gap cost

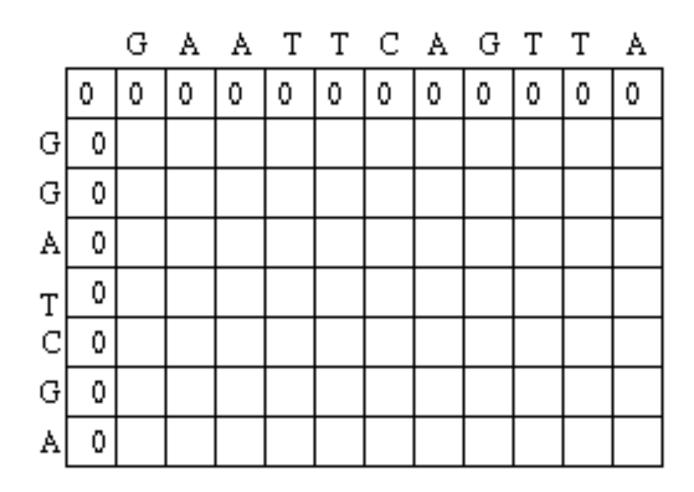
```
THISSEQUENCE
5 8-1 1 4 5 6 0 5 6 9 5 Score = 52
THATSEOUENCE
THATSEOUENCE
5 \ 8-1-1-2 \ 0-1 \ 0 \ 5 \ 0 \ 0 \ 5 Score = 18
THISISASEOUENCE
THISISA-SEQUENCE
5 8-1-1-1-1 4-1 4 5 6 0 5 6 9 5 Score = 51
TH----ATSEOUENCE
```





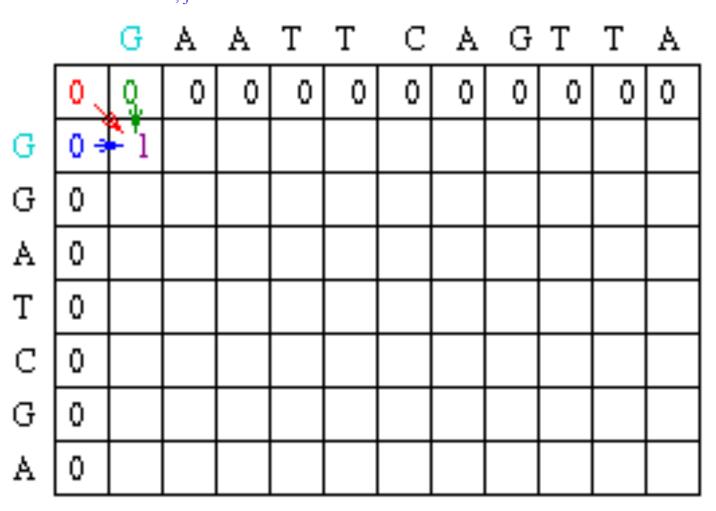
	<i>j</i> -4	<i>j</i> -3	<i>j</i> -2	<i>j</i> -1	j	
i-3				^S i-3, <i>j</i> -1		
i-2				^S i-2, <i>j</i> -1		
<i>i</i> -1	^S i-1, <i>j</i> -4	^S _{i-1,j-3}	S _{i-1,j-2}	S _{i-1,j-1}		
i					$S_{i,j}$	

Initialisation step: Create Matrix with M + 1 columns and N + 1 rows. First row and column filled with 0.

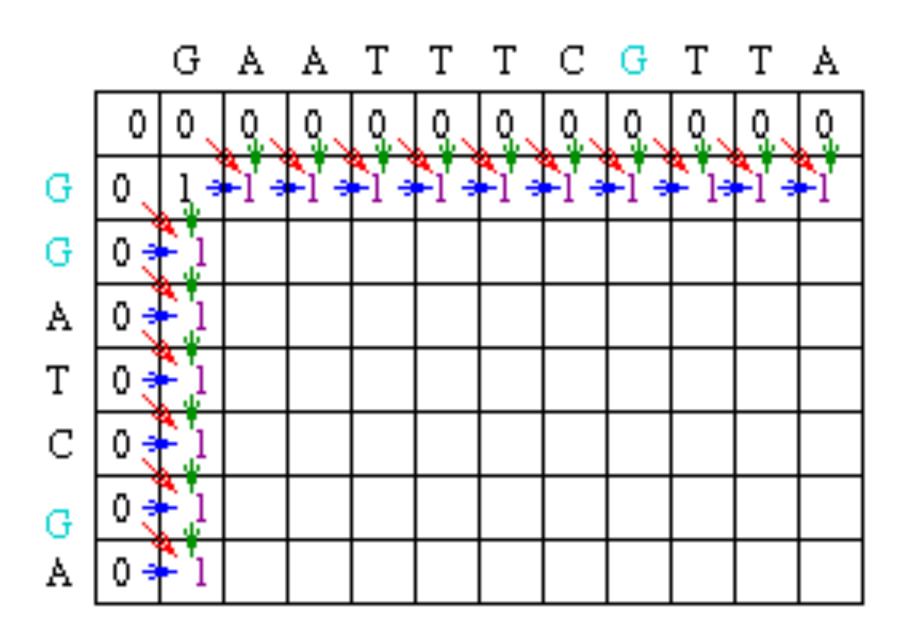


Matrix fill step: Each position $M_{i,j}$ is defined to be the MAXIMUM score at position i,j $M_{i,j} = \text{MAXIMUM [}$ $M_{i-1, j-1} + s_{i,j} \text{ (match or mismatch in the diagonal)}$

 $M_{i-1, j-1} + s_{i,,j}$ (match or mismatch in the diagonal) $M_{i, j-1} + w$ (gap in sequence #1) $M_{i-1, j} + w$ (gap in sequence #2)]



Fill in rest of row 1 and column 1



Fill in column 2

		G	A	Α	Т	Т	С	Α	G	Т	T	Α
	0	0	0	0	0	0	0	0	0	0	0	0
G	0	1	Į,	1	1	1	1	1	1	1	1	1
G	0	1 =	j									
A	0	1 =	2									
Т	0	1 =	2									
С	0	1 =	2									
G	0	1 =	2									
A	0	1 =	2									

Fill in column 3

		G	Α	A	T	Т	С	Α	G	T	T	Α
	0	0	0	0	0	0	0	0	0	0	0	0
G	0	1	1	Ţ	1	1	1	1	1	1	1	1
G	0	1	1 🕶									
A	0	1	2									
T	0	1	2									
С	0	1	2									
G	0	1	2									
A	0	1	2 =									

Column 3 with answers

		G	Α	A	T	T	С	Α	G	T	T	Α
	0	0	0	0	0	0	0	0	0	0	0	0
G	0	1	1	Į,	1	1	1	1	1	1	1	1
G	0	1	1 =	Ţ								
A	0	1	2	2								
T	0	1	2	2								
С	0	1	2	Ŋ								
G	0	1	2	2								
A	0	1	2 =	3								

Fill in rest of matrix with answers

		G	Α	Α	T	T	С.	A	G	T	T	Α
	0	0	0	0	0	0	0	0	0	0	0	0
G	0	1	1	1	1	1	1	1	1	1	1	1
G	0	1	1	1	1	1	1	1	2	2	2	2
A	0	1	2	2	2	2	2	2	2	2	2	3
Т	0	1	2	2	3	3	3	3	3	3	3	3
С	0	1	2	2	3	3	3	4	4	4	4	4
G	0	1	2	2	3	3	3	4	4	5	5	5
A	0	1	2	3	3	3	3	4	5	5	5	6

Traceback step:
Position at current cell and look at direct predecessors

		G	Α	Α	Т	Т	С	Α	G	T	T	A
	0	0	0	0	0	0	0	0	0	0	0	0
G	0	1	1	1	1	1	1	1	1	1	1	1
G	0	1	1	1	1	1	1	1	2	2	2	2
A	0	1	1	2	2	2	2	2	2	2	2	3
T	0	1	2	2	3	3	3	3	3	3	3	3
С	0	1	2	2	3	3	4	4	4	4	4	4
G	0	1	2	2	3	3	4	4	5	5	5	5
A	0	1	2	3	3	3	4	5	5	5	5	= 6

Traceback step:
Position at current cell and look at direct predecessors

		G	A	A	T	T	С	A	G	T	T	Α
	0	0	0	0	0	0	0	0	0	0	0	
G	0	1	1	1	1	1	1	1	1	1	1	
G	0	1	1	1	1	1	1	1	2	2	2	
A	0	1	1	2	2	2	2	2	2	2	2	
T	0	1	2	2	3	3	3	3	3	3	3	
С	0	1	2	2	3	3	4	4	4	4	4	
G	0	1	2	2	3	3	4	4	5	5	5	
A												- 6
,	Se	-a#.	—— 1 А									

Traceback step:
Position at current cell and look at direct predecessors

		G	Α	Α	Т	Т	С	Α	G	Т	Т	Α
	0	0	0	0	0	0	0	0	0	0	0	
G	0	1	1	1	1	1	1	1	1	1	1	
G	0	1	1	1	1	1	1	1	2	2	2	
Α	0	1	1	2	2	2	2	2	2	2	2	
Т	0	1	2	2	3	3	3	3	3	3	3	
С	0	1	2	2	3	3	4	4	4	4	4	
G	0	1	2	2	3	3	4	4	5	5	5	
A												= 6

Traceback step:
Position at current cell and look at direct predecessors

		G	Α	A	T	T	С	Α	G	T	T	Α
	0	0	0	0	0	0	0	0	0	0		
G	0	1	1	1	1	1	1	1	1	1		
G	0	1	1	1	1	1	1	1	2	2		
A	0	1	1	2	2	2	2	2	2	2		
Т	0	1	2	2	3	3	3	3	3	3		
С	0	1	2	2	3	3	4	4	4	4		
G	0	1	2	2	3	3	4	4	5	5	5	. •
A												= 6

Traceback step:
Position at current cell and look at direct predecessors

		G	Α	Α	T	T	С	Α	G	T	Т	Α
	0	0	0	0	0	0	0	0	0			
G	0	1	1	1	1	1	1	1	1			
G	0	1	1	1	1	1	1	1	2			
A	0	1	1	2	2	2	2	2	2			
T	0	1	2	2	3	3	3	3	3			
С	0	1	2	2	3	3	4	4	4			
G	0	1	2	2	3	3	4	4	5	5	5	
A												= 6

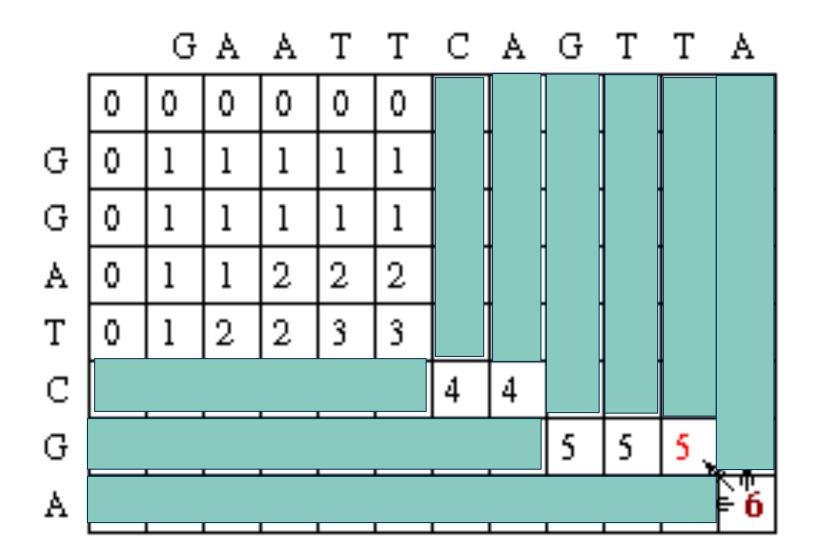
Traceback step:
Position at current cell and look at direct predecessors

		G	Α	Α	Т	Т	С	Α	G	Т	T	A
	0	0	0	0	0	0	0	0				
G	0	1	1	1	1	1	1	1				
G	0	1	1	1	1	1	1	1				
Α	0	1	1	2	2	2	2	2				
T	0	1	2	2	3	3	3	3				
С	0	1	2	2	3	3	4	4				
G									5	5	5	
A												= 6

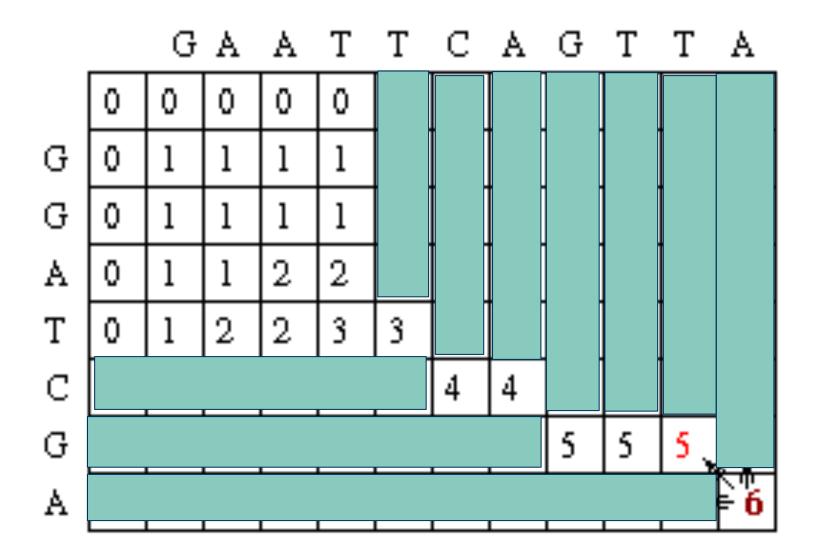
Traceback step:
Position at current cell and look at direct predecessors

		G	Α	Α	T	T	С	Α	G	T	T	A
	0	0	0	0	0	0	0					
G	0	1	1	1	1	1	1					
G	0	1	1	1	1	1	1					
A	0	1	1	2	2	2	2					
T	0	1	2	2	3	3	3					
С	0	1	2	2	3	3	4	4				
G									5	5	5	
A												= 6

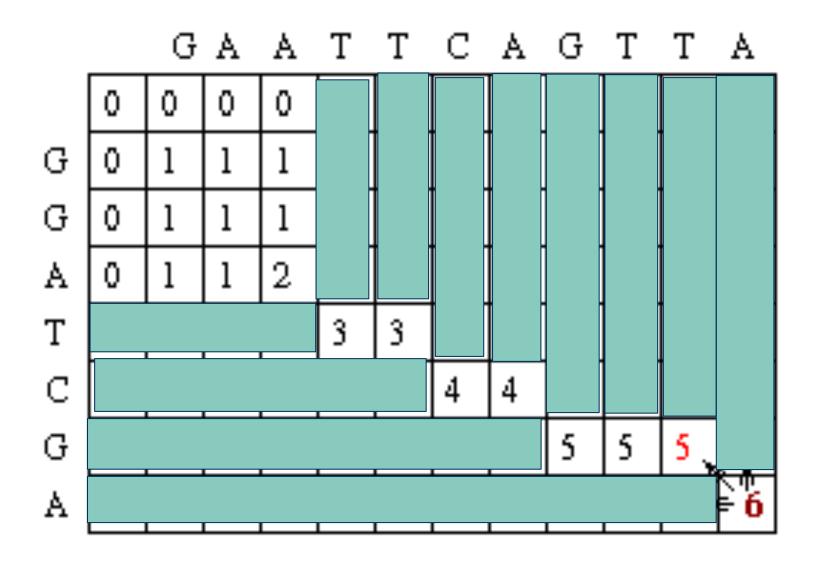
Traceback step:
Position at current cell and look at direct predecessors



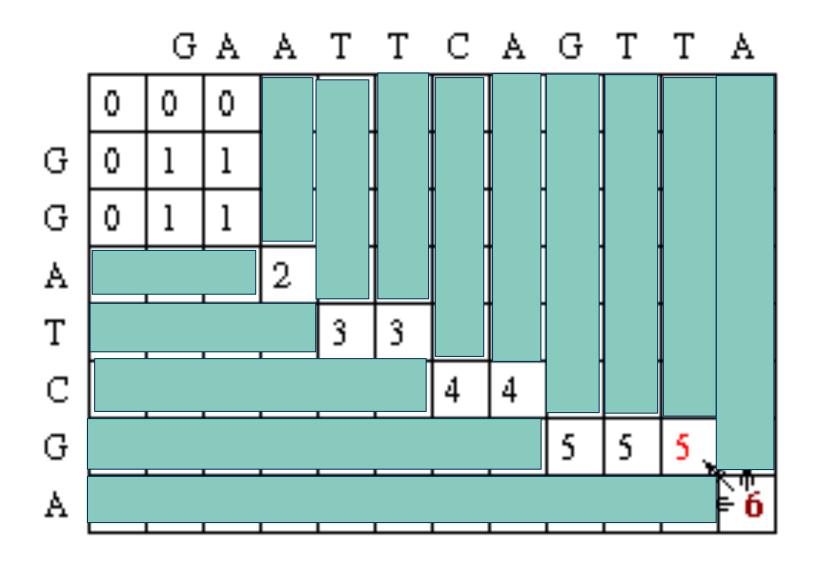
Traceback step:
Position at current cell and look at direct predecessors



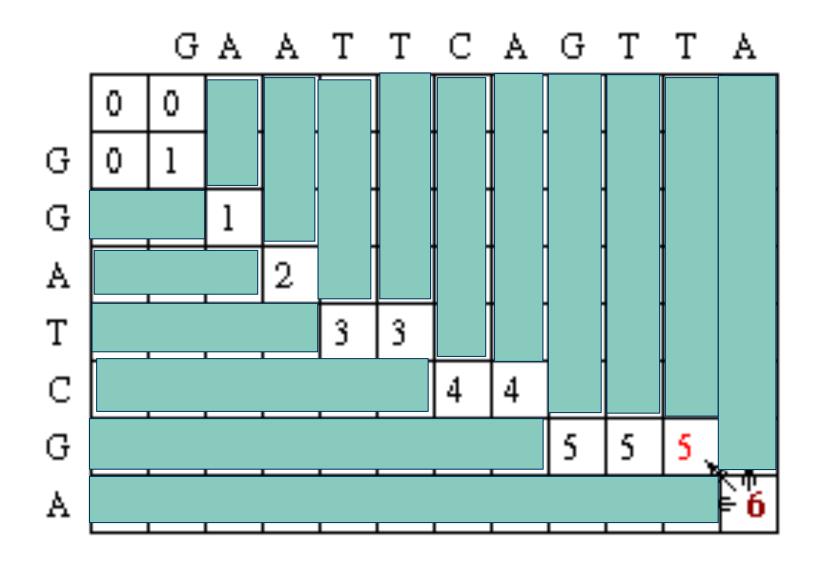
Traceback step:
Position at current cell and look at direct predecessors



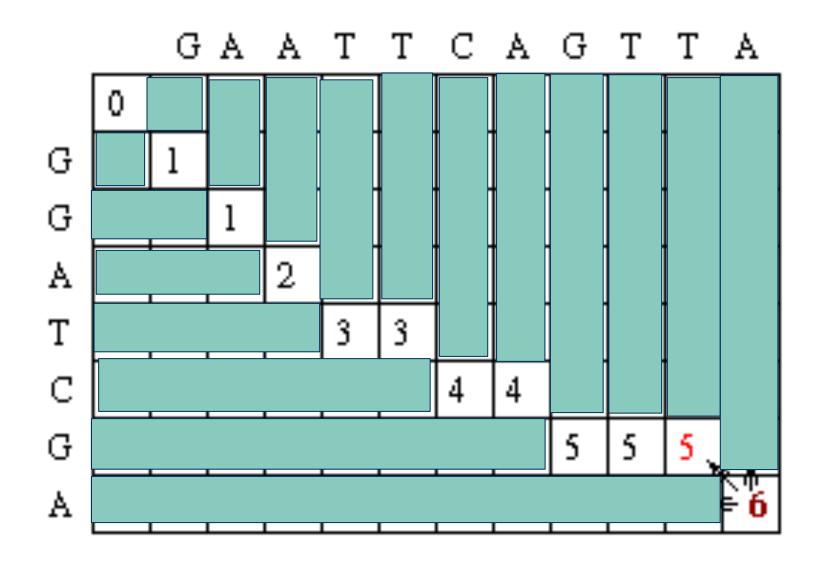
Traceback step:
Position at current cell and look at direct predecessors



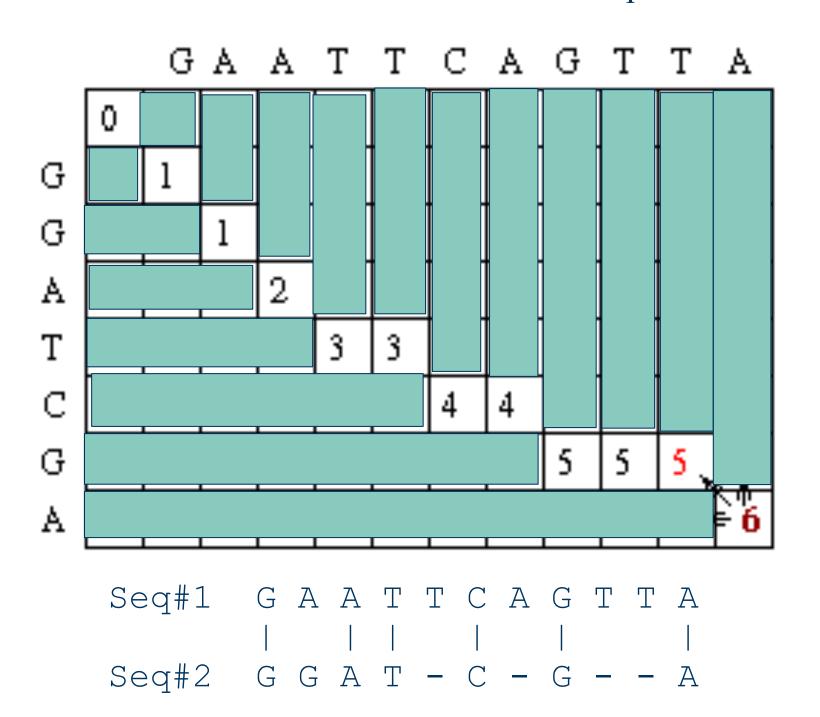
Traceback step:
Position at current cell and look at direct predecessors



Traceback step:
Position at current cell and look at direct predecessors



Traceback step:
Position at current cell and look at direct predecessors



Pseudocode

```
for i=0 to length(A)
  F(i,0) \leftarrow d*i
for j=0 to length(B)
  F(0,j) \leftarrow d*j
for i=1 to length(A)
  for j=1 to length(B)
     Match \leftarrow F(i-1,j-1) + S(A<sub>i</sub>, B<sub>j</sub>)
     Delete \leftarrow F(i-1, j) + d
     Insert \leftarrow F(i, j-1) + d
     F(i,j) ← max(Match, Insert,
Delete)
```

Traceback

```
AlignmentA ← ""
                         AlignmentB ← ""
                           i \leftarrow length(A)
                           j \leftarrow length(B)
                     while (i > 0 \text{ or } j > 0)
if (i > 0 \text{ and } j > 0 \text{ and } F(i,j) == F(i-1,j-1) + S(A_i, B_j))
                    AlignmentA \leftarrow A<sub>i</sub> + AlignmentA
                    AlignmentB \leftarrow B<sub>i</sub> + AlignmentB
                                i ← i - 1
                                j ← j - 1
         else if (i > 0 \text{ and } F(i,j) == F(i-1,j) + d)
                    AlignmentA \leftarrow A<sub>i</sub> + AlignmentA
                   AlignmentB ← "-" + AlignmentB
                                i \leftarrow i - 1
           else (j > 0 \text{ and } F(i,j) == F(i,j-1) + d)
                   AlignmentA ← "-" + AlignmentA
                    AlignmentB \leftarrow B<sub>j</sub> + AlignmentB
                                j ← j - 1
```

Scoring alignments - substitution matrices

```
egin{bmatrix} 1 & 0 & \cdots & 0 & 0 \ 0 & 1 & & 0 & 0 \ 0 & 0 & & \ddots & \vdots \ 0 & 0 & \cdots & 0 & 1 \ \end{bmatrix}
```

Identity matrix

Log Odds Ratios

$$S_{i,j} = \log rac{p_i \cdot M_{i,j}}{p_i \cdot p_j} = \log rac{M_{i,j}}{p_j} = \log rac{observed \ frequency}{expected \ frequency}$$

PAM matrix

One of the first amino acid substitution matrices, the PAM (Point Accepted Mutation) matrix was developed by Margaret Dayhoff in the 1970s. This matrix is calculated by observing the differences in closely related proteins. The PAM1 matrix estimates what rate of substitution would be expected if 1% of the amino acids had changed. The PAM1 matrix is used as the basis for calculating other matrices by assuming that repeated mutations would follow the same pattern as those in the PAM1 matrix, and multiple substitutions can occur at the same site. Using this logic, Dayhoff derived matrices as high as PAM250. Usually the PAM 30 and the PAM70 are used.

A matrix for more distantly related sequences can be calculated from a matrix for closely related sequences by taking the second matrix to a power. For instance, we can roughly approximate the WIKI2 matrix from the WIKI1 matrix by saying $W_2=W_1^2$ $W_2=W_1^2$ where W_1 is WIKI1 and W_2 is WIKI2. This is how the PAM250 matrix is calculated.

Dayhoff's methodology of comparing closely related species turned out not to work very well for aligning evolutionarily divergent sequences. Sequence changes over long evolutionary time scales are not well approximated by compounding small changes that occur over short time scales. The BLOSUM (BLOck SUbstitution Matrix) series of matrices rectifies this problem. Henikoff constructed these matrices using multiple alignments of evolutionarily divergent proteins. The probabilities used in the matrix calculation are computed by looking at "blocks" of conserved sequences found in multiple protein alignments. These conserved sequences are assumed to be of functional importance within related proteins. To reduce bias from closely related sequences, segments in a block with a sequence identity above a certain threshold were clustered giving weight to each such cluster (Henikoff and Henikoff). For the BLOSUM62 matrix, this threshold was set at 62%. Pairs frequencies were then counted between clusters, hence pairs were only counted between segments less than 62% identical. One would use a higher numbered BLOSUM matrix for aligning two closely related sequences and a lower number for more divergent sequences.

It turns out that the BLOSUM62 matrix does an excellent job detecting similarities in distant sequences, and this is the matrix used by default in most recent alignment applications such as BLAST.

Scoring Matrices

 $S = [s_{ij}]$ gives score of aligning character is with character j for every pair i, j.

```
C 12

S 0 2

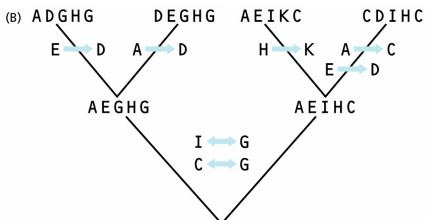
T -2 1 3

P -3 1 0 6

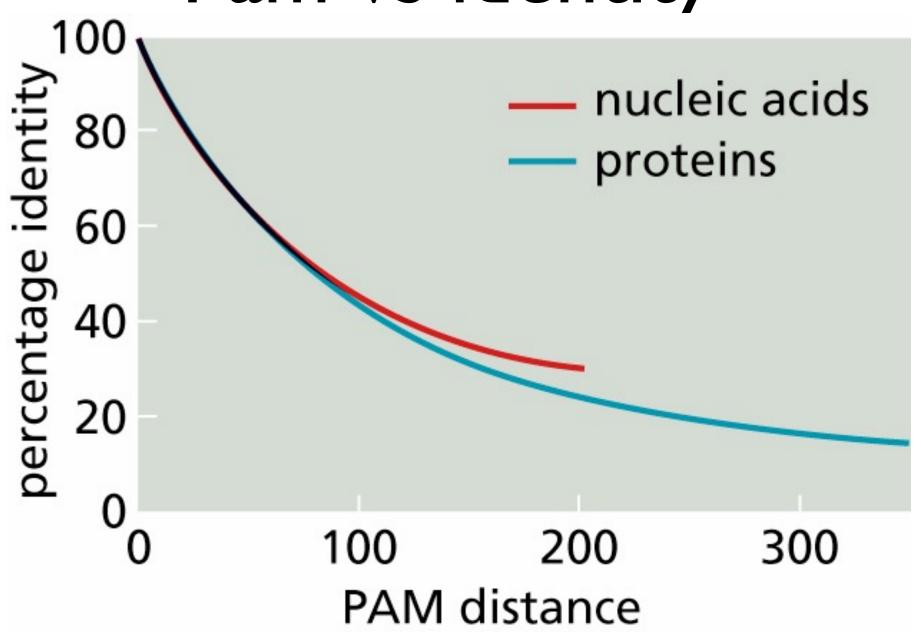
A -2 1 1 1 2

C S T P A = 1
```





	Α	С	D	Ε	G	Н	Ι	K
Α		1	1					
С	1				1			
D	1			2				
Ε			2					
G		1					1	
Н								1
Ι					1			
K						1		



$$PAM_n(i,j) = log \frac{f(i)M^n(i,j)}{f(i)f(j)} = log \frac{M^n(i,j)}{f(j)}$$

$$PAM_n(i,j) = log \frac{f(i)M^n(i,j)}{f(i)f(j)} = log \frac{M^n(i,j)}{f(j)}$$

The PAM Family

Define a *family* of substitution matrices — PAM 1, PAM 2, etc. — where PAM n is used to compare sequences at distance n PAM.

$$PAM n = (PAM 1)^n$$

Do not confuse with scoring matrices!

Scoring matrices are derived from PAM matrices to yield log-odds scores.

$$PAM_n(i,j) = log \frac{f(i)M^n(i,j)}{f(i)f(j)} = log \frac{M^n(i,j)}{f(j)}$$

PAM matrices

Let M be a PAM 1 matrix. Then,

$$\sum_{i} p_i (1 - M_{ii}) = 0.01$$

• Reason: M_{ii} s are the probabilities that a given amino acid does not change, so (1- M_{ii}) is the probability of mutating away from i.

$$PAM_n(i,j) = log \frac{f(i)M^n(i,j)}{f(i)f(j)} = log \frac{M^n(i,j)}{f(j)}$$

```
P -3 -1 -1 7
A 0 1 0 -1 4
\mathbf{G} - 3 \quad 0 - 2 - 2 \quad 0 \quad \mathbf{6}
N -3 1 0 -2 -2 0 6
D -3 0 -1 -1 -2 -1 1 6
E -4 0 -1 -1 -1 -2 0 2 5
Q -3 0 -1 -1 -1 -2 0 0 2 5
H -3 -1 -2 -2 -2 -2 1 -1 0 0 8
R -3 -1 -1 -2 -1 -2 0 -2 0 1 0 5
K -3 0 -1 -1 -1 -2 0 -1 1 1 -1 2 5
M -1 -1 -1 -2 -1 -3 -2 -3 -2 0 -2 -1 -1 5
I -1 -2 -1 -3 -1 -4 -3 -3 -3 -3 -3 -3 -3 1 4
L -1 -2 -1 -3 -1 -4 -3 -4 -3 -2 -3 -2 -2 2 2 4
V -1 -2 0 -2 0 -3 -3 -3 -2 -2 -3 -3 -2 1 3 1 4
F -2 -2 -2 -4 -2 -3 -3 -3 -3 -1 -3 -3 0 0 0 -1 6
Y -2 -2 -2 -3 -2 -3 -2 -3 -2 -1 2 -2 -2 -1 -1 -1 -1 3 7
   CSTPAGNDEQHRKMILVFYW
```

(A) 1 2 3 4 5

1 ATCKQ

2 ATCRN

3 ASCKN

4 SSCRN

5 SDCEQ

6 SECEN

7 TECRQ

(B)	$q_{ m QN}$	$q_{ m NN}$	q_{QQ}	p_{N}	p_{Q}
C=62%	0.114	0.057	0.029	0.114	0.086
C=50%	0.117	0.025	0.058	0.084	0.117
C=40%	_	_		_	_

Equivalent PAM and Blossum matrices (according to H)

- PAM100 ==> Blosum90
- PAM120 ==> Blosum80
- PAM160 ==> Blosum60
- PAM200 ==> Blosum52
- PAM250 ==> Blosum45

```
C 11
\mathbf{D} -3 \quad 0 \quad -1 \quad -2
E -4 -1 -1 -2 -1
0 -3 -1 -1 0 -1 -1
H 0 -1 -1 0 -2 -2
R -1 -1 -1 -1 0
K -3 -1 -1 -2 -1 -1
I -2 -1 1 -2 0 -3 -2 -3 -3 -3 -3 -3
                         EQHRKMILVFYW
```

Difference between Pam and Blosum

- PAM matrices are based on an explicit evolutionary model (i.e. replacements are counted on the branches of a phylogenetic tree), whereas the BLOSUM matrices are based on an implicit model of evolution.
- The PAM matrices are based on mutations observed throughout a global alignment, this includes both highly conserved and highly mutable regions. The BLOSUM matrices are based only on highly conserved regions in series of alignments forbidden to contain gaps.
- The method used to count the replacements is different: unlike the PAM matrix, the BLOSUM procedure uses groups of sequences within which not all mutations are counted the same.
- Higher numbers in the PAM matrix naming scheme denote larger evolutionary distance, while larger numbers in the BLOSUM matrix naming scheme denote higher sequence similarity and therefore smaller evolutionary distance. Example: PAMI50 is used for more distant sequences than PAMI00; BLOSUM62 is used for closer sequences than BLOSUM50.

Nucleotide Matrices

Dayhoff's PAM matrix

	A	R	N	D	C
A	9867	2	9	10	3
R	1	9913	1	0	1
N	4	1	9822	36	0
D	6	0	42	9859	0
C	1	1	0	0	9973

All entries × 104

(A)

	A	С	G	T
A	67	-96	-20	-117
С	-96	100	-79	-20
G	-20	-79	100	-96
T	-117	-20	-96	67

(B)

	A	С	G	T
A	91	-114	-31	-123
С	-114	100	-125	-31
G	-31	-125	100	-114
T	-123	-31	-114	91

(C)

	A	С	G	T
A	100	-123	-28	-109
C	-123	91	-140	-28
G	-28	-140	91	-123
T	-109	-28	-123	100

Gap models

- Gap-extension
- Gap opening cost

Local and global

(A) local PI3-kinase DRHNSNIMVKDDGQLFHIDFG cAMP PK DLKPENLLIDQQGYIQVTDFG (B) global PI3-kinase HQLGNLR--LEECRI---MSSAKRPLWLNWENPDIMSELLFQNNEIIFKNGDDLRQDMLT camppk gnaaaakkgxeqesvkeflakakedflkkwenpaqntahldqferiktlgtgsfgrvml-PI3-kinase LQIIRIME--NIWQNQGLDLRMLPYGCLSIGDCVGLIEVVRNSHTIMQ-IQCKGGLKGAL CAMPPK ---VKHMETGNHYAMKILDKQKVVK-----LKQIEHTLNEKRILQAVNFPFLVKLEF PI3-kinase QFNSHT-LHQWLKDKNKGEIYDAA--IDLFTRSCAGYCVATFILGIGDRHNSNIMVKD-D cAMP PK SFKDNSNLYMVMEYVPGGEMFSHLRRIGRFSEPHARFYAAQIVLTFEYLHSLDLIYRDLK PI3-kinase GQLFHIDFGHFLDHKKKKFGYKRERVP----FVLTQDFL---IVISKGAQECTKTREFE camppk penllidqqgyi--qvtdfgfak-rvkgrtwxlcgtpeylapeiilskgynkavdwwalg

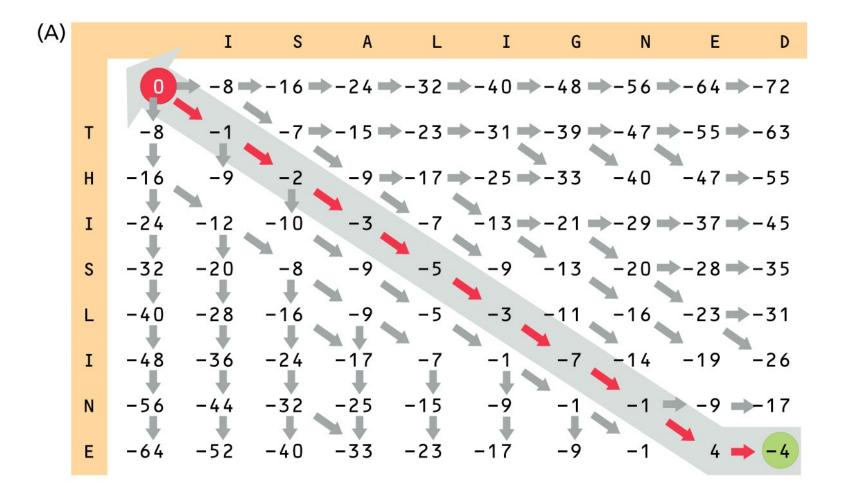
PI3-kinase RF-QEMC--YKAYLAIRQHANLFINLFSMMLGSGMPELQSFDDIAYIRKTLALDKTEQEA CAMP PK VLIYEMAAGYPPFFA-DQPIQIYEKIVSGKVR--FPSHFSSDLKDLLRNLLQVDLTKR--

Global alignment Needleman-Wunch

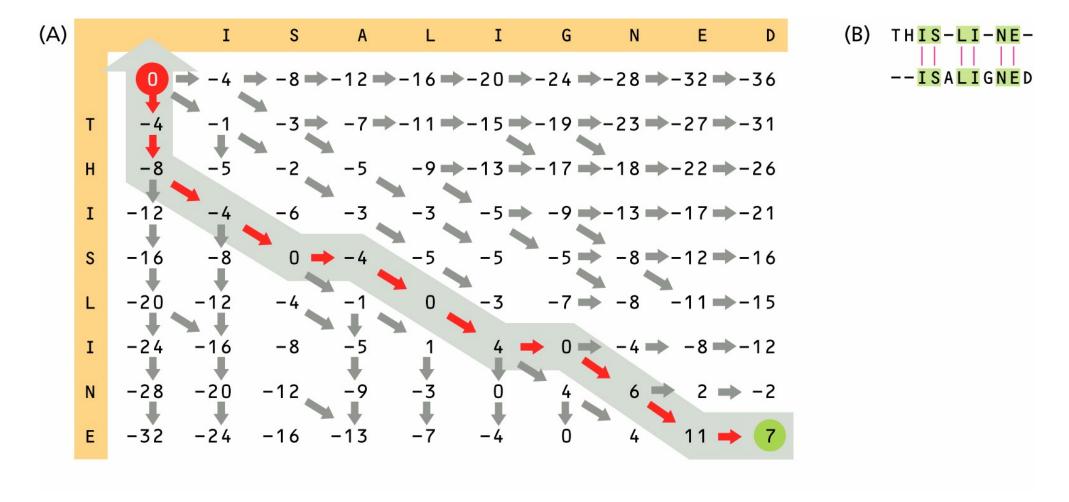
Local alignment Smith Waterman

	GAP	М	N	Α	L	s	D	R	Т
GAP	0	-12	-16	-20	-24	-28	-32	-36	-40
М	-12	6 (6)	-6 ⁽⁻²⁾	-10	-14	-18	-22	-26	-30
G	-16	-6 -6	6(0)	-5	-10	-13	-17	-22	-26
s	-20	-10	,-5	7	-5	-8 、	-13	-17	-21
D	-24	-14	-8	-5	3	-5	`-4 、	-14	-17
R	-28	-18	-14	-9	`-8 <u>`</u>	3	-6	`2 、	-10
Т	-32	-22	-18	-13	-11	-7	3	-7	`5 _:
Т	-36	-26	-22	-17	-15	-10	-7	2	-4
Е	-40	-30	-25	-21	-20	-15	-7	`-8 <u>,</u>	2
Т	-44	-34	-30	-24	-23	-19	-15	-8	\ ₋₅ ¦

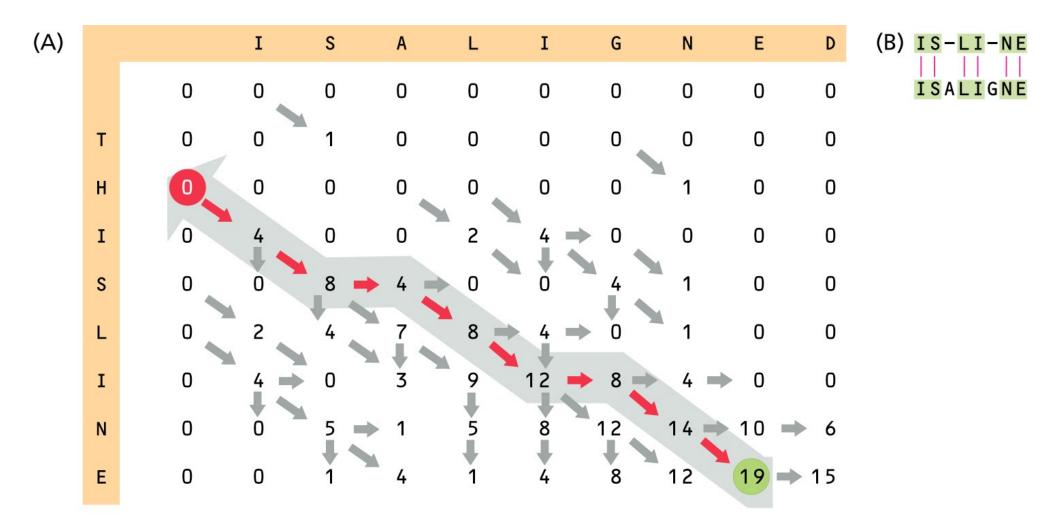
	GAP	М	N	Α	L	S	D	R	Т
GAP	0	0	0	0	0	0	0	0	0
М	0	6	0	0	4	0	0	0	0
G	0	0	6	1	0	5	1	0	0
s	0	0	1	7	0	2	5	1	1
D	0	0	2	1	3	0	6	4	1
R	0	0	0	0	0	3	0	12	3
Т	0	0	0	1	0	1	3	0	15
Т	0	0	0	1	0	1	1	2	3
Е	0	0	1	0	0	0	4	0	2
Т	0	0	0	2	0	1	0	3	3



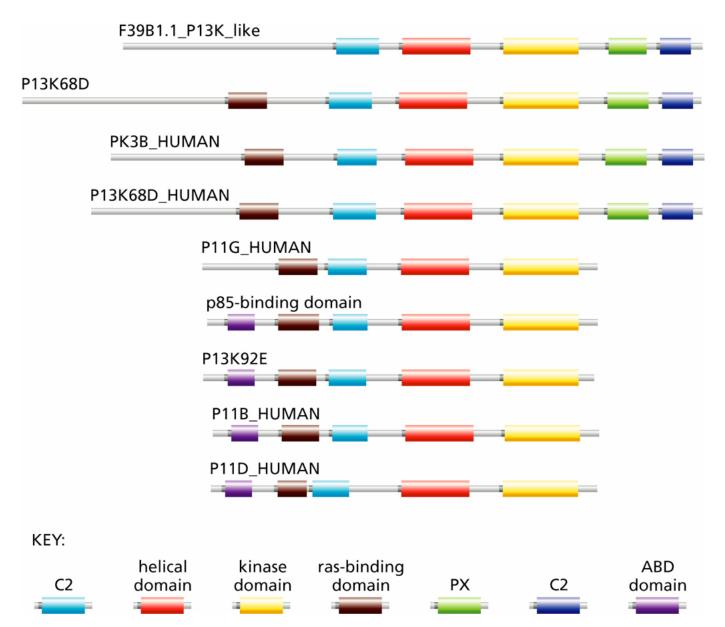
(B) THISLINE-|| ISALIGNED



(A)			I	S	Α	L	I	G	N	E	D (B)	SLI-NE
		0	0	0	0	0	0	0	0	0	0	ALIGNE
	Т	0	0	1	0	0	0	0	0	0	0	
	н	0	0	0	0	0	0	0	1	0	0	
	I	0	4	0	0	2	4	0	0	0	0	
	S	0	0	8	1	0	0	4	1	0	0	
	L	0	2	0	7	5	2	0	1	0	0	
	I	0	4	0	0	9	9 🗪	1	0	0	0	
	N	0	0	5	0	1	6	9	7	0	1	
	Ε	0	0	0	4	0	0	4	9	12 →	4	



Multidomain proteins



Next lecture

- O(nm) is too slow. How to speed up
- When is a "score" significant.